SN P systems with coloured spikes and multiple channels in the rules.

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Use SN P systems with multiple channels in the rules and different kinds of spikes to directly simulate other computacional models inspired by viruses and plasmids

Previous and related works

- Alhazov, A., Freund, R., Oswald, M., Slavkovik, M. (2006). Extended Spiking Neural P Systems. In: Hoogeboom, H.J., Păun, G., Rozenberg, G., Salomaa, A. (eds) Membrane Computing. WMC 2006. Lecture Notes in Computer Science, vol 4361. Springer, Berlin, Heidelberg. https://doi.org/10.1007/11963516_8
- Verlan, S., Freund, R., Alhazov, A. et al. A formal framework for spiking neural P systems. J Membr Comput 2, 355–368 (2020). https://doi.org/10.1007/s41965-020-00050-2
- Peng, H., Yang, J., Wang, J., Wang, T., Sun, Z., Song, X., Lou, X. (2017) Spiking neural P systems with multiple channels. Neural Networks. 95 pp. 66–71.
- Song, T., Rodríguez-Patón, A., Zheng, P., Zeng, X. (2018) Spiking Neural P Systems With Colored Spikes. IEEE Transactions on Cognitive and Developmental Systems 10(4) pp 1106-1115.



- The authors introduce different target neurons at every rule
- A general framework to introduce different ingredients and variants



The authors introduce multiple channels to connect the neurons



The authors introduce non-singleton alphabets for spikes.

A SN P system with multiple channels and colored spikes (SNP-MC-CS) of degree $m \ge 1$ is defined by $\Pi = (0, L, \sigma_1, \sigma_2, ..., \sigma_m, syn, in)$, where:

- 1) $0 = \{a_1, a_2, ..., a_g\}$ is an alphabet with g colored spikes
- 2) $L = \{1, 2, ..., N\}$ is an alphabet of channel labels
- 3) $\sigma_1, \sigma_2, ..., \sigma_m$ are neurons of the form $\sigma_i = (w_i, L_i R_i), 1 \le i \le m$, where:
 - a) $w_i \in O^*$ is a string that denotes the initial multiset of spikes in the neuron.
 - b) $L_i \subseteq L$ is a finite set of channels labels used in the neuron
 - c) R_i is a finite set of rules in the forms:
 - 1. <u>Firing rules</u>: $E/w_c \rightarrow w_1(l_1)w_2(l_2) \dots w_n(l_n)$; *d* where *E* is a regular expression over *O*, and $w_c, w_i \in O^*$ $1 \le i \le n, l_i \in L, d \ge 0$.
 - 2. <u>Forgetting rules</u>: $w_c \rightarrow \lambda$, where $w_c \in O^*$.
- 4) $syn \subseteq \{1, 2, ..., m\} \times \{1, 2, ..., m, out\} \times L$ are the set of synapse connections with $(i, i, l) \notin syn$ for $1 \le i \le m$ and $\forall l \in L$. Observe that (i, out, l) denotes that the neuron σ_i sends the spikes out to the environment by the channel l.
- 5) $in \in \{1, ..., m\}$ is the input neuron. Observe that the input neuron can be omitted whenever the system is a generator.

An example



The system outputs $\Psi_{\{a,b\}}(\{a^nb^n:n\geq 1\})$

A simulator (I)

```
snp = SNPSystem[int, int]()
snp.set_input(0)
snp.add_symbols(1, *['1']*3)
snp.add_symbols(2, *['1']*2)
snp.add_channel(1, 5, 1)
. . .
snp.add_channel(5, 2, 5)
snp.add_rule(0, 'a', Multiset(['a']), {2: Multiset(['a'])})
. . .
snp.add_rule(5, '1*a', Multiset(['a']), {4: Multiset(['a'])})
result = snp.run(['a'], render_steps=True)
```

A simulator (II)

```
input([0])
[1] = \{'1'\} * 3
[2] = \{'1'\} * 2
<1> [5] --> [1]
<2> [0] --> [2]
<2> [5] --> [2]
<3> [5] --> [3]
<4> [5] --> [4]
<5> [2] --> [5]
[0] 'a' / {'a'} --> {'a'} <2>
[2] '1'* 'a' / {'1'} --> {'1'} <5>
[2] '1'* 'a' / {'a'} --> {'a'} <5>
[5] '1'* 'a' / {'1'} --> {'1'} <2>, {'1'} <1>
[5] '1'* 'a' / {'a'} --> {'a'} <3>
[5] '1'* 'a' / {'a'} --> {'a'} <4>
```

A simulator (III)

Defining the membrane contents

 $[1] = {'a', 'b'} * 3$

Defining the channel connections

<0> [1] --> [2] <0> [1] --> out

Defining the rules

[2] '1'* 'a' / {'a'} --> {'a'} <5> : 1
[2] {'a'} --> {'a'} <5>
{'a'} --> lambda

A simulator (IV)

Defining the input membrane

input([0])

Initializing the membrane contents

 $[1] = \{'1'\} * 3$

Tokenizer reply

```
ID(input) OPEN_PARENTHESIS OPEN_MEMBRANE NUMBER(0)
CLOSE_MEMBRANE CLOSE_PARENTHESIS EOL
```

```
OPEN_MEMBRANE NUMBER(1) CLOSE_MEMBRANE EQUAL OPEN_SET
SYMBOL('1') CLOSE_SET MULT NUMBER(3) EOL
```

A simulator (V)

Usage

```
Usage: main.py [OPTIONS] SRC

Options:

-i, --input TEXT

--separator TEXT

--no-strip

--render

--render

--render TEXT

-r, --repeat INTEGER

-m, --mode [halt|halt-mc|time|time-mc]

--max-steps INTEGER
```

Completeness

Simulate register machine instructions: ADD, SUB, HALT

instruction l_i : (ADD(r), l_j , l_k) l_i $a \rightarrow c(1)a(2)$ $a \rightarrow c(1)a(3)$ (1) (3)(2) l_k

lj

Completeness

Simulate register machine instructions: ADD, SUB, HALT

instruction l_i : (SUB(r), l_j , l_k)

one single SUB instruction



 l_i

 $a \rightarrow d(1)$

Completeness

Simulate register machine instructions: ADD, SUB, HALT instruction l_i : (SUB $(r), l_j, l_k$) two SUB instructions ...



 ι_m

 $a \rightarrow e(1)$

Completeness

Simulate register machine instructions: ADD, SUB, HALT

instruction l_i : HALT



Simulating SN P systems

- Only one single channel *c*_s
- Only one single spike a_s
- Transform every activation rule

 $E/a^c \rightarrow a; d \longrightarrow E/a^c_s \rightarrow a_s(c_s); d$

Simulating virus machines

L. Valencia, M.J. Pérez-Jiménez, X. Chen, B. Wang, X. Zheng. Basic virus machines. In J.M. Sempere and C. Zandron (eds) Proceedings of the 16th International Conference on Membrane Computing (CMC16), 17-21 August, 2015, Valencia, Spain, pp. 323-342.



Two kind of channels: channels for behavior (viruses transmition and instructions) and channels for regulation

Simulating virus machines



Simulating computing with plasmids

Y. Li, B. Song and X. Zeng. Neural-Like P Systems With Plasmids and Multiple Channels. IEEE Transactions on NanoBioscience, vol. 22, no. 2, (2023) 420-429



questions ?